

Exam AES1340

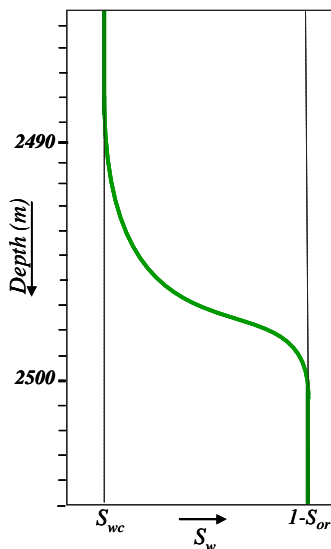
Applied Reservoir Engineering and Simulation (Part 1)

19 June 2007
9:00-12:00

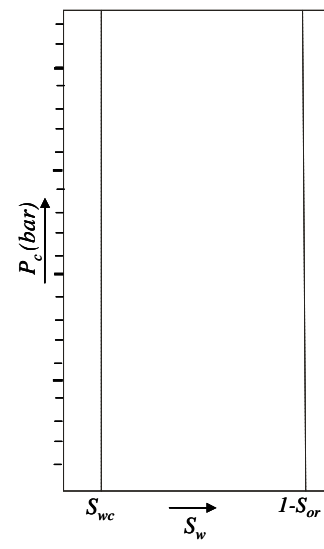
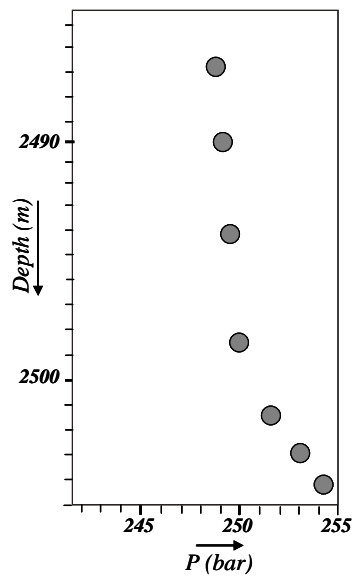
Name:
Student number:

Question 1:

- In a well drilled in a reservoir with a constant permeability, the water saturations as plotted in Graph 1 have been found. Please indicate which part is the transition zone and why.
- Assuming a density of 1000 kg/m^3 for water, 650 kg/m^3 for oil and g of 10 m/s^2 , construct the capillary pressure curve for this rock type in Graph 2.
- Assume that in question (1a), the rock permeability is 100 mD . Plot in Graph 1 what you would expect the water saturation to be if there was a thief zone of 1000 mD at the depth of 2496 m to 2497 m .



Graph 1



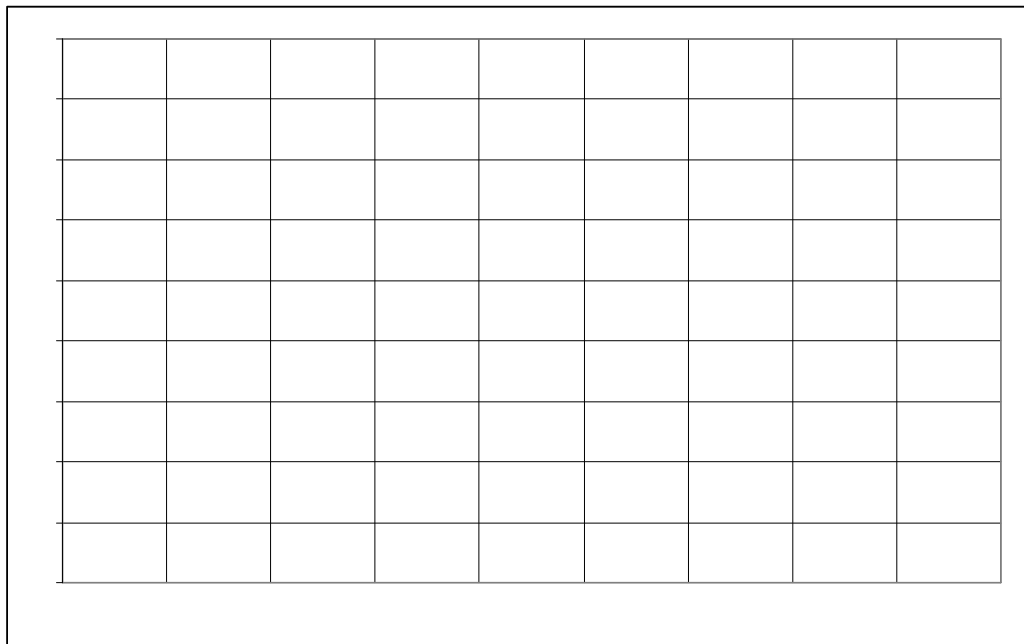
Graph 2

Distance between thick marks is 50 bars

Question 2:

- a) Given a gas reservoir with an initial pressure of 300 bar and a GIIP of 10 billion m^3 (1 billion is 10^9), what would be the gas recovery factor for this gas reservoir when the pressure has been depleted to 60 bar. The Z factor at reservoir temperature as function of pressure is given in the table below. Please use Graph 3 to illustrate your derivation.

<i>P [bar]</i>	<i>Z</i>
50	0.946
60	0.937
100	0.908
150	0.893
200	0.902
250	0.929
300	0.968



Graph 3

- b) Assuming the same abandonment pressure of 60 bar but with a strong water influx, what would now be the maximum gas recovery factor? Assume a residual gas saturation of 30%. Illustrate your result in Graph 3.

Question 3:

- a) Write down the linearised oil material balance in the format of Havlena & Odeh, using the individual elements as given below and explain the individual terms.

$$\left\{ \begin{array}{l} F = N_p (B_o + (R_p - R_s) B_g) + W_p B_w \\ E_o = (B_o - B_{oi}) + (R_{si} - R_s) B_g \\ E_g = B_{oi} \left(\frac{B_g}{B_{gi}} - 1 \right) \\ E_{f,w} = -(1 + m) B_{oi} c_e dP \end{array} \right.$$

- b) How would you simplify the equation under a pure solution gas drive (no gas cap, no aquifer influx), ignoring rock compressibility?
- c) How would you derive the STOIP under these conditions?

Question 4:

- a) How does wellbore storage influence the pressure response in a drawdown test?
- b) How does wellbore storage influence the pressure response in a build-up test?
- c) How would you avoid well bore storage?

Question 5:

- a) How do you derive the permeability and initial reservoir pressure from a build up well test using the Horner plot?
- b) Explain in which time period this method is valid and how you could check this.

Question 6:

- a) Write down the Darcy equation and indicate which terms you could influence to improve ultimate oil recovery and why.
- b) Give the three most important methods to achieve above and explain the main concept of each recovery method in 4 or 5 lines.

Question 7:

- a) For steam flooding Marx-Langenheim have derived the following heat balance:

$$m_s H_s = h(\rho c)_1 \Delta T \frac{dA_s}{dt} + 2\Delta T \sqrt{\frac{\lambda_2(\rho c)_2}{\pi}} \int_0^t \frac{1}{\sqrt{t-t'}} \frac{dA_s}{dt} dt'$$

- b) Describe in words the meaning of the left hand side term and the first and second term on the left side (also the meaning of the integral).
- c) What conditions will favor a heat efficient displacement.