

DELFT UNIVERSITY OF TECHNOLOGY
Faculty of Civil Engineering and Geosciences

Soil Mechanics II

CT2091

BSc EXAMINATION 2012

ANSWER BOOK

MOCK EXAM II

DATE: 2012

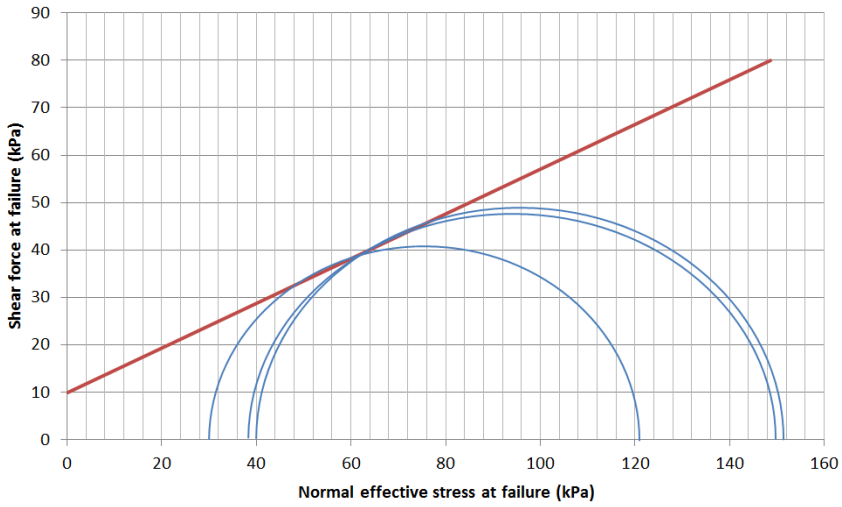
TIME: 3 HOURS

Answer ALL Questions
(Note that the questions carry unequal marks)

Other instructions

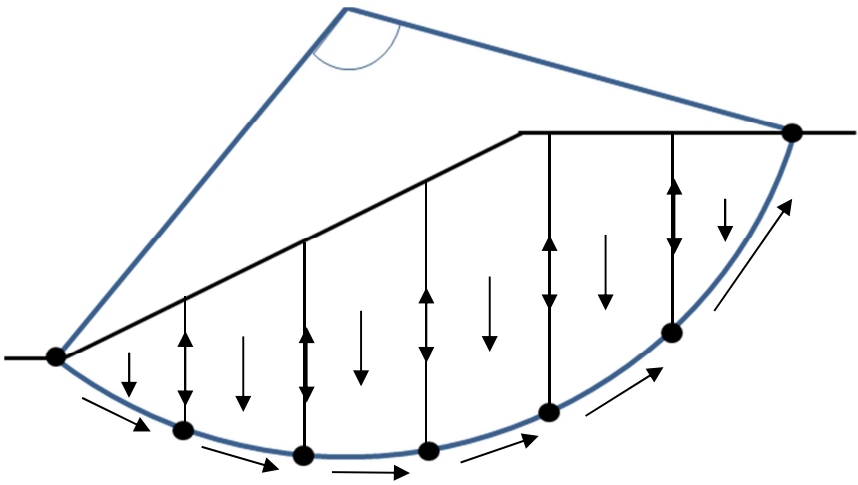
Write your name and student number on each sheet

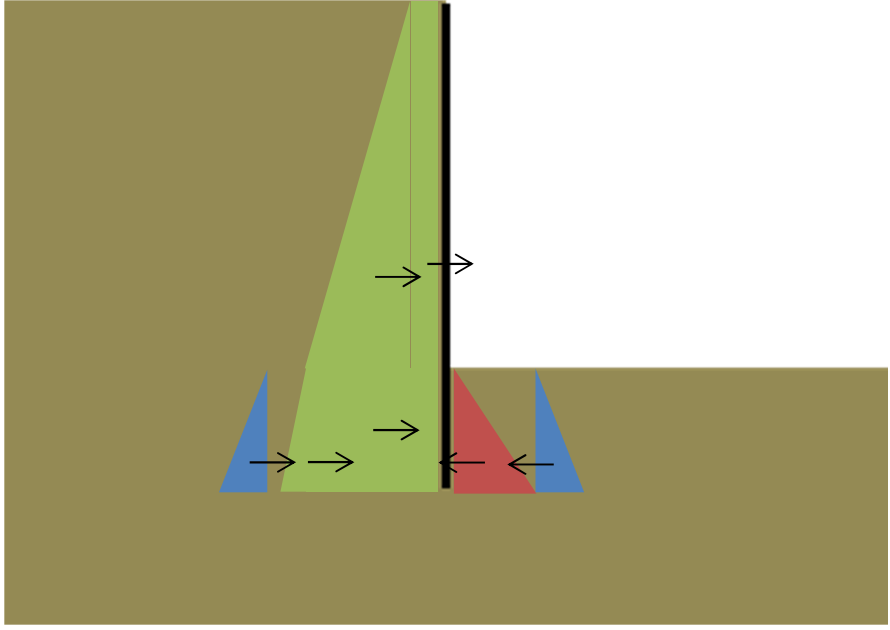
Clearly identify the answer in the answer box

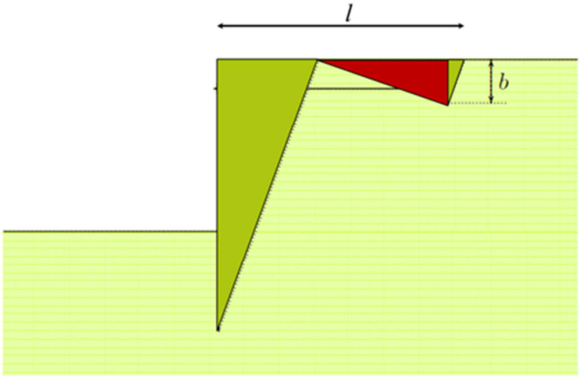
Question No.	Workings	Answer
1a	<p>Test 1 $\sigma_3 = 0$ to 100 kPa $p_0 = -25 + 0.75 \times 100 = 50$ kPa $p_f = 50 + 0.75 (0.3 \times 93) = 70.9$ kPa</p> <p>Test 2 $\sigma_3 = 0$ to 200 kPa $p_0 = -25 + 0.8 \times 200 = 135$ kPa $p_f = 135 + 0.8 (0.3 \times 112) = 161.9$ kPa</p> <p>Test 3 $\sigma_3 = 0$ to 300 kPa $p_0 = -25 + 0.85 \times 300 = 230$ kPa $p_f = 230 + 0.85 (0.3 \times 116) = 259.6$ kPa</p>	<p>Test 1 $p_0 = 50$ kPa $p_f = 70.9$ kPa</p> <p>Test 2 $p_0 = 135$ kPa $p_f = 161.9$ kPa</p> <p>Test 3 $p_0 = 230$ kPa $p_f = 259.6$ kPa</p>
1b	<p>At failure:</p> <p>Test 1 $\sigma_3 = 0$ to 100 kPa $\sigma_3'{}_f = 100 - 70.9 = 29.1$ kPa $\sigma_1'{}_f = 193 - 70.9 = 122.1$ kPa</p> <p>Test 2 $\sigma_3'{}_f = 200 - 161.9 = 38.1$ kPa $\sigma_1'{}_f = 312 - 161.9 = 150.1$ kPa</p> <p>Test 3 $\sigma_3'{}_f = 300 - 259.6 = 40.4$ kPa $\sigma_1'{}_f = 412 - 259.6 = 156.4$ kPa</p>  <p>From Mohr's circle: $c' = 10$ kPa, $\phi' = 30^\circ$</p>	<p>Answers in kPa</p> <p>Test 1 $\sigma_3'{}_f = 29.1$ $\sigma_1'{}_f = 122.1$</p> <p>Test 2 $\sigma_3'{}_f = 38.1$ $\sigma_1'{}_f = 150.1$</p> <p>Test 3 $\sigma_3'{}_f = 40.4$ $\sigma_1'{}_f = 156.4$</p> <p>$c' = 10$ $\phi' = 30^\circ$</p>

Question No.	Workings	Answer
2a	<p>Use the Brinch Hansen method.</p> $p_c = cN_c i_c s_c + qN_q i_q s_q + \frac{1}{2} \gamma' B N_\gamma i_\gamma s_\gamma$ <p>No inclination, long structure:</p> $p_c = cN_c + qN_q + \frac{1}{2} \gamma' B N_\gamma$ <p>Calculate N factors:</p> $N_q = \frac{1 + \sin \phi}{1 - \sin \phi} \exp(\pi \tan \phi) = 1.0$ <p>Use $\phi = 0.001^\circ$</p> $N_c = (N_q - 1) \cot \phi = 5.14$ $N_\gamma = 2(N_q - 1) \tan \phi = 0$ <p>No effective overburden.</p> <p>Total allowable, p_c:</p> $p_c = 25 \times 5.14 = 128 \text{ kPa}$ <p>Applied load, p:</p> <p>Weight of concrete $(25 \times 0.25 \times 2) \times (12 \times 20 + 20 \times 5 + 5 \times 12) = 5000 \text{ kN}$</p> <p>Weight of fill $(5 - 0.5) \times (12 - 0.5) \times (20 - 0.5) \times 17.5 = 17660 \text{ kN}$</p> <p>Total load = 22660 kN</p> <p>Total / area = 2682.5 / (12x20) = 94 kPa</p> <p>FoS = 128/94 = 1.36</p>	FoS = 1.36
2b	<p>Need to consider the shape of the caisson:</p> $p_c = cN_c s_c + qN_q s_q + \frac{1}{2} \gamma' B N_\gamma s_\gamma$ <p>Calculate shape factors:</p> $s_c = 1 + 0.2 \frac{B}{L} = 1.12$ $s_q = 1 + \frac{B}{L} \sin \phi = 1.0$ $s_\gamma = 1 - 0.3 \frac{B}{L} = 0.82$ $p_c = cN_c s_c + qN_q s_q + \frac{1}{2} \gamma' B N_\gamma s_\gamma = 143.9 \text{ kPa}$ <p>FoS = 144/94 = 1.52</p>	FoS = 1.52

2c	<p>Use the Brinch Hansen method.</p> $p_c = cN_c i_c s_c + qN_q i_q s_q + \frac{1}{2} \gamma' B N_\gamma i_\gamma s_\gamma$ <p>In this case need the inclinations factors:</p> $p_c = cN_c i_c s_c$ <p>Horizontal stress, t:</p> $t = \frac{F \text{ per } m}{\text{width}} = \frac{100}{12} = 8.3 \text{ kPa}$ $i_c = 1 - \frac{t}{c + p \tan \phi} = 0.66$ $i_q = i_c^2 = 0.44$ $i_\gamma = i_c^3 = 0.30$ $p_c = 86.0 \text{ kPa}$ <p>FoS = 86/94 = 0.91</p>	FoS = 0.91
----	--	------------

Question No.	Workings	Answer																																																																										
3a	 <p>The diagram illustrates a slope stability analysis. A failure surface is shown as a curved line. Several slices are defined along this surface. Forces acting on the slices include weight (downward arrows), interslice forces (upward and downward arrows between slices), interslice shear forces (horizontal arrows), and interslice moments (curved arrows). A safety factor is indicated by a curved arrow at the top of the failure surface.</p>																																																																											
3b	<p>Appropriate method is Bishop. Could also use Fellenius, but assumptions are less robust and equilibrium is not maintained – reduce 1 mark if used.</p> $A = c + (\gamma h) \tan \phi$ $B = \tan \alpha \tan \phi / F$ $C = \cos \alpha (1 + B)$ $D = A/C$ $E = (\gamma h) \sin \alpha$ <p>Need to input F is item B. Use 1 for initial estimate.</p> <table border="1" data-bbox="331 1346 1145 1760"> <thead> <tr> <th>Slice</th> <th>Angle to horiz., α ($^\circ$)</th> <th>h mid-slice (m)</th> <th>A</th> <th>B</th> <th>C</th> <th>D</th> <th>E</th> </tr> </thead> <tbody> <tr> <td>1</td> <td>-20.4</td> <td>1.12</td> <td>31.76</td> <td>-0.03</td> <td>0.91</td> <td>35.03</td> <td>-7.03</td> </tr> <tr> <td>2</td> <td>-6.0</td> <td>3.10</td> <td>34.87</td> <td>-0.01</td> <td>0.99</td> <td>35.39</td> <td>-5.82</td> </tr> <tr> <td>3</td> <td>8.05</td> <td>4.56</td> <td>37.18</td> <td>0.01</td> <td>1.00</td> <td>37.09</td> <td>11.49</td> </tr> <tr> <td>4</td> <td>22.65</td> <td>5.50</td> <td>38.66</td> <td>0.04</td> <td>0.96</td> <td>40.42</td> <td>38.12</td> </tr> <tr> <td>5</td> <td>39.20</td> <td>5.02</td> <td>37.90</td> <td>0.07</td> <td>0.83</td> <td>45.65</td> <td>57.05</td> </tr> <tr> <td>6</td> <td>64.60</td> <td>2.10</td> <td>33.31</td> <td>0.18</td> <td>0.51</td> <td>65.57</td> <td>34.15</td> </tr> <tr> <td colspan="6"></td> <td>$\Sigma D =$</td> <td>259.15</td> <td></td> </tr> <tr> <td colspan="6"></td> <td></td> <td>$\Sigma E =$</td> <td>127.97</td> </tr> </tbody> </table> $F = \frac{\Sigma C}{\Sigma D} = 2.03$ <p>Note can to iterate to get better solution. For exam purposes no need to iterate.</p>	Slice	Angle to horiz., α ($^\circ$)	h mid-slice (m)	A	B	C	D	E	1	-20.4	1.12	31.76	-0.03	0.91	35.03	-7.03	2	-6.0	3.10	34.87	-0.01	0.99	35.39	-5.82	3	8.05	4.56	37.18	0.01	1.00	37.09	11.49	4	22.65	5.50	38.66	0.04	0.96	40.42	38.12	5	39.20	5.02	37.90	0.07	0.83	45.65	57.05	6	64.60	2.10	33.31	0.18	0.51	65.57	34.15							$\Sigma D =$	259.15									$\Sigma E =$	127.97	FoS = 1.21
Slice	Angle to horiz., α ($^\circ$)	h mid-slice (m)	A	B	C	D	E																																																																					
1	-20.4	1.12	31.76	-0.03	0.91	35.03	-7.03																																																																					
2	-6.0	3.10	34.87	-0.01	0.99	35.39	-5.82																																																																					
3	8.05	4.56	37.18	0.01	1.00	37.09	11.49																																																																					
4	22.65	5.50	38.66	0.04	0.96	40.42	38.12																																																																					
5	39.20	5.02	37.90	0.07	0.83	45.65	57.05																																																																					
6	64.60	2.10	33.31	0.18	0.51	65.57	34.15																																																																					
						$\Sigma D =$	259.15																																																																					
							$\Sigma E =$	127.97																																																																				

Question No.	Workings	Answer
4a	 <p>Active and passive forces shown above. Locations of action at 1/3 height (from base) of triangles and at mid-height of rectangles. Note active force is made up of 2 triangles and 2 rectangles.</p>	
4b	<p>Active earth pressure coefficients:</p> $K'_p = \frac{1 + \sin\phi'}{1 - \sin\phi'} = 3.69$ $K'_a = \frac{1 - \sin\phi'}{1 + \sin\phi'} = 0.27$ <p>Triangular forces: $= \frac{1}{2}K\gamma'd^2$</p> <p>Rectangular forces: $= K\gamma'd^2$ or $Kd\sigma$</p> <p>Active forces:</p> <p>From surcharge, $K_a d\sigma = 0.27 \times 16 \times 10 = 43.4kN$ at 8m from top</p> <p>From upper triangle, $\frac{1}{2}K_a\gamma'd^2 = 0.5 \times 0.27 \times 18 \times 10^2 = 244kN$ at 6.7m from top</p> <p>From lower rect, $K_a(\gamma'h)d = 0.27 \times (18 \times 10) \times 6 = 293kN$ at 13m from top</p> <p>From lower triangle, $\frac{1}{2}K_a\gamma'd^2 = 0.5 \times 0.27 \times (18 - 10) \times 6^2 = 39kN$ at 14m from top</p> <p>From water, $\frac{1}{2}K_0\gamma'd^2 = 180kN$ at 14m from top</p>	FoS = 1.18

	<p>Passive forces:</p> <p>From lower triangle, $\frac{1}{2}K_p\gamma'd^2 = 0.5 \times 3.69 \times (18 - 10) \times 6^2 = 531kN$ at 14m from top</p> <p>From water, $\frac{1}{2}K_0\gamma'd^2 = 180kN$ at 14m from top</p> <p>Moments around tension anchor (note 2m below surface):</p> <p>Anticlockwise:</p> $43.4 \times 6 + 244 \times 4.7 + 293 \times 11 + 39 \times 12 + 180 \times 12 = 7246 kN$ <p>Clockwise:</p> $531 \times 12 + 180 \times 12 = 8537 kN$ <p>FoS = $8537/7246 = 1.18$</p>	
4c	<p>Horizontal equilibrium to determine T (tension +ive direction)</p> $T = 43 + 244 + 293 + 39 - 531$ $T = 87.6 kN$	$T = 87.6 kN$
4d	<p>Calculate length, l:</p>  <p>$l = \text{active zone from pile} + \text{passive zone from anchor}$</p> $l = (d + h)\tan \theta + b/\tan \theta$ $\theta = 45 - \frac{\phi}{2} = 27.5^\circ$ $l = (6 + 10)\tan 27.5 + 3/\tan 27.5 = 14.1 m$	$l = 14.1 m$